- Course Number M E 517. Nonlinear Dynamics and Chaos
- and Title:

Objectives:

- Catalog
 Singular points, periodic solutions, stability, and local bifurcations for
 Description:
 ODEs and maps; phase space methods, invariant manifolds, and
 Poincare maps; nonsmooth, periodic, time-delay, and Hamiltonian
 systems; perturbation, averaging, and harmonic balance methods;
 center manifold reduction and normal forms; strange attractors,
 Liapunov exponents, attractor dimension; dissipative and Hamiltonian
- Credit Hours: 3 Credits (3)
- Prerequisite(s) / Prerequisite(s): None Corequisite(s)
 Required: Graduate Elective
- Course Availability: Spring Semester
- Instructor (Usual): Dr. Abdessattar Abdelkefi (See https://mae.nmsu.edu/people/faculty.html)
- Textbook: 1) A. H. Nayfeh and D. Mook, *Nonlinear Oscillations*, John Wiley & Sons, 1995
 - 2) S. H. Strogatz, Nonlinear Dynamics and Chaos, Westview Press, 2001
 - 3) A. H. Nayfeh, Problems in Perturbation, John Wiley & Sons, 1993
- Course Learning After completing this course, a student should be able to:
 - 1) Qualitatively and quantitatively understand and determine the dynamical response of nonlinear systems.
 - 2) Understand various nonlinear behaviors and concepts.
 - 3) Use several perturbation techniques to solve the governing equations of motion.
 - 4) Characterize the response of a nonlinear dynamical system.
- Topics Covered: Phase portraits of Hamiltonian systems; vector field analysis; perturbation methods such as averaging, multiple-scales, and harmonic balance; primary, super/subharmonic, combination, internal resonances; parametric resonance and Floquet theory; map theory; logistic map and chaotic phenomena; Poincaré map; nonlinear normal modes